

REGENT SECONDARY SCHOOL END OF YEAR EXAMINATION (SA2) 2017 SECONDARY ONE (EXPRESS)

NAME: _____ CLASS: _____ INDEX NUMBER: _____ SETTER : Ms Jacintha

4048/01

9th October 2017

1 hour 15 mins

MATHEMATICS

Paper 1

Candidates answer on the Question Paper.

READ THESE INSTRUCTIONS FIRST

Write your class, index number and name on all the work you hand in. Write in dark blue or black pen.

You may use a pencil for any diagrams or graphs.

Do not use staples, paper clips, highlighters, glue or correction fluid.

Answer **all** questions.

If working is needed for any question it must be shown with the answer.

Omission of essential working will result in loss of marks.

The use of an approved scientific calculator is expected, where appropriate.

If the degree of accuracy is not specified in the question, and if the answer is not exact, give the answer to three significant figures. Give your answers in degrees to one decimal place. For π , use either your calculator value or 3.142, unless the question requires the answer in terms of π .

At the end of the examination, fasten all your work securely together.

The number of marks is given in brackets [] at the end of each question or part question. The total of the marks for this paper is 50.



This document consists of **10** printed pages.

Answer all questions. 1 Express For Examiner's Examiner's Use (a) 33% as a fraction in its lowest terms, [1] Answer (a)..... **(b)** $15\frac{1}{4}$ as a percentage. [1] Answer (b)..... 2 By rounding off each term to 1 significant figure, estimate the value of $\frac{56.89 - \sqrt{104.2}}{\sqrt[3]{61.76 + 3.99}}$ [2] Answer Consider the following numbers, 3 $\sqrt[3]{125}$, 0.516 , 8 , $-\frac{49}{7}$, π Write down all the irrational number(s). **(a)** Answer (a)..... [1] integer(s). **(b)** Answer (b)..... [1] perfect cube(s). (c) [1] *Answer* (*c*).....

Regent Secondary School 2017 End of Year Examination (SA2) Sec 1 Express Paper 1

For

Use

(a) Write a simplified algebraic expression for the statement "Cube root of the

3

For

Examiner's

Use

For Examiner's Use 4

product of w and x. Answer (a) [1] (b) Express $\frac{b-5}{3} - \frac{2b-3}{5}$ as a single fraction. Answer (b) [3] A sum of money was divided between Amy and Daniel in the ratio 5 : 12. After 5 Amy spent \$22, the ratio became 3 : 16. Find the amount of money Amy had at first. Answer \$..... [3]

For Framinar's	6	The number 1888 can be expressed as $2^a \times b$, where <i>a</i> and <i>b</i> are integers.	For Framinar's
Use		(a) Find the value of a and of b.	Use
		$Answer (a) a = \dots \dots$	
		(b) Given that $x = 2^3 \times 5 \times 7$, evaluate the highest common factor of 1888 and x.	
		Answer (b) [1]	
		(c) Find the smallest integer <i>n</i> such that 1888 <i>n</i> is a perfect square.	
		[1]	
		Answer (c) $n = \dots$	

			5			
For Examiner's Use	7	A ma of 4 k	n ran 2.4 km in 16 minutes. He then wal m/h. Calculate	ked a further 900 m at an average speed		For Examiner's Use
		(a)	his speed, in km/h, in the first 16 minu	tes,		
		(b)	the time, in minutes, he took to walk,	Answer (a)km/h	[2]	
		(c)	his average speed, in m/s, for the whole	<i>Answer (b)</i> minutes e distance travelled.	[2]	
			1	Answer (c)m/s	[2]	
	8	If a =	$=2\frac{1}{4}$ and $b=0.75$, find the ratio of $a:b$	b. Answer	[2]	

(a) Factorise completely 9 For For Examiner's Examiner's (i) $-6c^2 - 4cd$ Use Use (ii) $4pq + 2p^2 - 10p$ (b) Expand and simplify $3 - (2x^2 + 4)$. Answer (b)..... [2]

6

Solve the following equations. For Examiner's 10 Examiner's (a) x+3=2x+1. [2] Answer $x = \dots$ **(b)** $\frac{2}{x} = \frac{3}{x+2}$. Answer $x = \dots$ [2] (c) $2 - \frac{x-9}{3} = -3$. [3] Answer $x = \dots$

7

For

Use

Regent Secondary School 2017 End of Year Examination (SA2) Sec 1 Express Paper 1

Use





For

Examiner's

Use

14 In the **closed** cylinder below, the diameter of the cross-section is 18 cm. Given that its total surface area is 702π cm², calculate the height, *h*, of the cylinder.

For

Examiner's

Use



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Answer h = [3]

Have you checked your work?

Regent Secondary School 2017 End of Year Examination (SA2) Sec 1 Express Paper 1 For Examiner's Use



REGENT SECONDARY SCHOOL END OF YEAR EXAMINATION (SA2) 2017 SECONDARY ONE (EXPRESS)

NAME: _____ INDEX NU CLASS: _____ SETTER:

INDEX NUMBER: _____ SETTER: Ms Jacintha

MATHEMATICS

Paper 2

4048/02 10th October 2017

1 hour 30 minutes

Additional Materials: Answer Paper

READ THESE INSTRUCTIONS FIRST

Write your class, index number and name on all the work you hand in.

Write in dark blue or black pen.

You may use a pencil for any diagrams or graphs.

Do not use staples, paper clips, highlighters, glue or correction fluid.

Answer all questions.

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At the end of the examination, fasten all your work securely together.

The number of marks is given in brackets [] at the end of each question or part question. The total of the marks for this paper is 50.

	TARGET
50	
PARENT'S SI	GNATURE

This document consists of **6** printed pages.

Answer <u>all</u> questions.

1	(a)	Find the sum of interior angles of a 12-sided polygon.		
	(b)	A polygon has 15 sides. Three of its exterior angles are 45° , 46° and 29° while		
		the twelve remaining exterior angles of the polygon are x° each. Find the value of x .	[2]	
2	The near	population of Brunei was 422 000 in 2016. This value has been rounded off to the est 1000.		
	(a)	What is the largest possible value of the population of Brunei in 2016?	[1]	
	(b)	What is the smallest possible value of the population of Brunei in 2016?	[1]	
3	(a)	The price of a computer increases from \$1300 to \$1420. Find the percentage increase in its price.	[2]	
	(b)	The marked price of a paint art is \$6750. There is a discount of 5% for members.		
		(i) Find the selling price for a member after the discount.	[1]	
		(ii) Given that there is a GST of 7%, find the total amount payable by the member, leaving your answer in the nearest cents.	[2]	

4 (a) Simplify the following expression.

$$\frac{2p+5}{7} + \frac{3q-1}{4}$$
[2]

(b) Expand and simplify the following expression.

$$5(4a+5b)-3(2a-7b)$$
 [2]

(c) Factorise the following expression completely.

$$18gh + 9g - 27gk$$
 [2]

5 A pattern was created using toothpicks. The first three figures are shown below.

Figure 1	Figure 2	Figure 3		
(a) How many toothpicks are used in Figure 5?				
(b) Write down an expression, in terms of <i>n</i> , for the number of toothpicks in Figure <i>n</i> .				
(c) Calculate the number of toothpicks in Figure 250.				

6 The following pictogram illustrates the number of cupcakes sold in a bakery in a particular week.



- (a) How many more cupcakes were sold on Monday as compared to Tuesday? [1]
- (b) If each cupcake was sold at \$3.50, calculate the total sales amount from the cupcakes sold in that week. [2]
- (c) Express the ratio of cupcakes sold on weekends to that sold on weekdays. [1]

7 The diagram below shows trapezium *ABCD* where *AD* is parallel to *BC*. *ABE* is a straight line, $\angle CAB = 90^\circ$, $\angle ADC = 115^\circ$ and $\angle ACB = 43^\circ$.



[2]

[2]

[1]

- (c) z.
- 8 (a) Draw and label ΔABC such that ∠BAC = 48°, AB = 7.9 cm and AC = 4.8 cm. [3]
 (b) Construct the perpendicular bisector of AB. [1]
 (c) Construct the bisector of ∠ABC. [1]
 (d) Label the intersection point of the perpendicular bisector of AB and the angle bisector of ∠ABC as M. Measure the distance M from A. [2]

9 The bar graph below shows the survey result of a group of Secondary One Students from Santa Secondary School on their preference of ice-cream flavour.



Favourite Ice-Cream Flavour

(a)	How many more students prefer Mango flavour to Coffee flavour?	[1]
(b)	What fraction of the students chose Chocolate flavour as their favourite?	[2]
(c)	What percentage of the students did not choose Vanilla as their favourite flavour?	[2]
(d)	Jamie observed the bar graph and claimed that the number of students who prefer Chocolate flavour is twice the number of students who prefer Vanilla	
	flavour. State one way in which the bar graph is misleading Jamie.	[2]

10 The diagram below shows a solid prism. The prism has a cross-section of a right-angled triangle.

AB = 6 cm, AC = 8 cm, EF = 10 cm and BE = 17 cm.



Calculate,

(a) the area of the cross-section ABC,	[1]	the area of the cross-section <i>ABC</i> ,	(a)
--	-----	--	-----

(b) the volume of the prism, [1]

(c) the total surface area of the prism. [2]

(d) A cylindrical container with radius 10 cm is filled with some water.
 Ten such solid prisms were dropped into the container, causing the water level to rise. Assuming that there is no water flowing out of the container, calculate the increase in the water level in the container. [3]

Have you checked your work? END OF PAPER

Answer $x = \dots$

(e)
$$2 - \frac{x-9}{3} = -3$$

[1]

Answer $x = \dots$

[2]

262

7

For Examiner's Use 10 (a) Solve -3q > 6 and illustrate the solution on a number line in the space given below.

8

For Examiner's Use

Answer (a) [2]

(b) Find the smallest integer value q that satisfies the inequality 4q - 1 > 6.

Answer (b) [2]

11 In the diagram below, BCEF is a square with an area of 36 cm². What is the area of parallelogram BDEG?



12 Find the value of *x* in the figure below.

Answer cm^2 [2]



For Examiner's Use II In the cylinder below, the diameter of the cross-section is 18 cm. Given that its total surface area is 702π cm², calculate the height, *h*, of the cylinder.

For Examiner's Use

0





Have you checked your work? END OF PAPER

11

1E EOY PAPER 1 2017 MARKING SCHEME

Qn	Working	Marks	Marker's report
1a	33	B1	Well done
	100		
1b	1525%	B1	Many students put
			15.25% instead.
2	$60 - \sqrt{100}$ 50	M1	Common mistake :
	$\frac{3}{60+4} = \frac{4}{4}$		Students did not
	= 12.5	A1	estimate and only
			rounded off the final
			answer to 1sf.
3a	π	B1	Badly done. Students
3b	$\sqrt[3]{125.8\frac{49}{2}}$	B1	
	7		
	-		
3c	8	B1	
4a	$\sqrt[3]{wx}$		
4b	b-5 2b-3		Majority of students got
	$\frac{3}{5}$		1 mark only.
	5(b-5) 3(2b-3)	Mł	Common mistake :
	$=\frac{1}{15}-\frac{1}{15}$		b-5 2b-3
	5h - 25 - 6h + 9		3 5
	$=\frac{20}{15}$	M1	5(b-5) 3(2b-3)
	15 b 16		$=\frac{15}{15}$
	$=\frac{-b-10}{15}$	A1	5b - 25 - 6b - 9
	4		=
			-h-34
			$=\frac{0.51}{15}$
5	$5 \cdot 12 \ge 20^{\circ} \cdot 48$	M1	Well done
	$3 \cdot 16 = 9 \cdot 48$	N.T	Weil done.
	20 – 9 = 11		
		M1	
	11 units \rightarrow \$22		
	1 unit \rightarrow \$2		
	20 units \rightarrow 2 x 20		
	= \$40	A1	
6a	1888 = 2 ⁵ x 59		Well done
	a = 5	B1	
	b = 59	B1	

6b	8	B1	Many students left the answer as 2^3
60	118	B1	Well done
00 7a	24	DI	Students who got this
70	$\frac{2.7}{16}$	M1	wrong did not convert
	$\left(\frac{10}{60}\right)$		the time to hours.
	$-\Omega lm/h$	A1	
7h	$900 \div 1000$	M1	Badly done Many did
/ 2	$\frac{300.1000}{4} \times 60$		not divide by 1000.
	= 135 min s	A1	
7c	2400 + 900	M1	
	$\frac{1}{(16 \times 60) + (13.5 \times 60)}$		
	-1.86m/s	A1	
8	Q		
U	$\frac{3}{4}$: 0.75		
	9 · 3	M1	
	2.1	A1	
9ai	5.1		
541	-6c - 4ca	A1	
	=-2c(3c+2d)	7.12	
	or		
	=2c(-3c-2d)		
9aii	2p(2q+p-5)	B2	Well done. One mark
			was given for the 2p
			factorised out correctly.
9b	$3 - (2x^2 + 4)$		Many managed to get
	$=3 \vdash 2x^2 \rightarrow 4$	M1	$3-2x^2-4$ but simplified it
		۸1	wrongly.
	$=-2x^{-1}$	AI	
10a	x + 3 = 2x + 1		Well done.
	$2\dot{x} - \dot{x} = 3 - 4$	M1	
	<i>x</i> = 2	AI	
10b	$\frac{2}{2} = \frac{3}{2}$		Students had an issue
	x x+2		simplifying after cross-
	3x = 2(x+2)	M1	multiplication.
	3x = 2x + 4	A 1	
	<i>x</i> = 4	AI	
10c	$2 - \frac{x - 9}{x - 9} = -3$ $x - 9$		Badly done. Students did
	$3 \qquad 5 = \frac{3}{3}$	N 4 1	not change the sign of '9'
	$\frac{6-x+9}{15} = -3$ $15 = x-9$	M1	after making common
	x = 24	M1	
	15 - x = -9 2.	1417	
	x = 24	A1	
1		1	

11a	<i>q</i> < -2	B1	Badly done. Students
	•0		were able to solve the
		▶ B1	inequality but could not
	-4 -3 -2		illustrate it on the
			number line correctly.
11b	4q - 1 > 6		Well done.
	<i>q</i> > 1.75	M1	
	q = 2	A1	
12	Length of square = $\sqrt{36} = 6cm$	M1	Well done.
	Area = 10 x 6		
	= 60cm ²	A1	
13	Draw a line BX through B		
	$\angle ABX = 45^{\circ}(corr \ \angle s)$		
	$\angle ABC = 360 - 275$		
	$=85^{\circ}(\angle s \ at \ a \ pt)$	M1	
	$\angle XBC = 85 - 45$	(1 mark	
	$=40^{\circ}$	for any 2	
	Produce the line DC to Y	correct	
		reasons)	
	$\angle BCY = 40^{\circ}(alt \ \angle s)$		
	x = 180 + 40	A1	
	= 220°		
1/	$2(\pi \vee 9 \times 9) \perp 2 \vee \pi \vee 9 \vee h = 702 \pi$	N/1	Δνοτασο
14	$160 \pm 18 = 700 =$		Presentation of working
	$102\pi + 187\pi = 102\pi$	M1	for this question was
	$18\pi h = 540\pi$	A1	done badly.
	h = 30 cm		Many remembered the
			formulas wrongly.

Qn	Working	Marks	Marker's report
1a	(12-2) x 180	M1	Reasonably done. Some
	= 1800	A1	students did not remember
			the formula.
1b	45+46+29+12x = 360	M1	Reasonably done. Some
	12x = 240		students went to calculate
	x = 20	A1	sum of interior angles instead.
2a	422499	B1	Mostly well done
2b	421500	B1	Mostly well done
3a	1420-1300 100	M1	
	1300 × 100		
		A1	
	$=9.23\% \text{ or } 9\frac{3}{13}\%$		
3bi	6750		
	$\overline{100} \times 93$		
	= \$6412.50	A1	
3bii	6412.50	M1	
	$\frac{100}{100} \times 107$		
	= \$6861.38	A1	
	\$0001120		
4a	$2p+5$, $3q \rightarrow 1$		Well done.
	$7^{+}4^{-}$		
	4(2p+5)+7(3q-1)	M1	
	28		
	8p+20+21a+7		
	$=\frac{1}{98}$		
	$8n + 21\vec{a} + 13$		
	$=\frac{ap+2iq+15}{28}$	A1	
4h	5(44+5b) - 3(2p-7b)		Reasonably done Some
10	3(44, 30) - 3(24 - 70)	M1	students did not expand the
	= 20a + 250 - 6a + 210	A1	second part of the question
	=14a+46b		correctly.
4c	18gh + 9g - 27gk		Not well done. Students are
	=9g(2h-1-3k)	B2	not familiar with factorisation.
	M1 awarded for factorising one factor out	OR	
	correctly.		
5a	11	B1	Well done
5b	2n +1	B1	Reasonably done. But many
			students did not simplify their
			answers. Common errors

1E EOY PAPER 2 2017 MARKING SCHEME

			include: 3+2(<i>n</i> – 1) or <i>n</i> + <i>n</i> –
			1.
			2 x <i>n</i> – 1 was penalised for
			presentation.
5c	501	B1	Well done. No ecf awarded.
6a	15	B1	Well done.
6b	249 x 3.50	M1	Well done. Same presentation
	= \$871.50	A1	error for some students who
			expressed answer as \$871.5
6c	39 : 44	B1	Well done.
7a	x = 180 - 115 - 43	M1	Well done.
	$= 22^{\circ}(\text{int } \angle s)$	A1	
7b	$\angle ABC = 180 - 90 - 43$	M1	
	$=47^{\circ}(\angle s \text{ in } \Delta)$		
	v = 180 - 47		
	$-122^{\circ}((s \text{ or stat } ling))$		
	$=155 (\geq s \text{ on surt line})$		
7.	- 22 + 42		Mall days. Chudaystawika
70	2 = 22 + 45	K 1.	well done. Students who
	$= 65^{\circ}(vert opp \leq s)$	A	wrote (opp. angles) were
		(IVIIIIUS	is the key word to be swarded
		101101	is the key word to be awarded
		no	for students who get 7a
		in any	Tor students who got 7a
		in any	wrong.
		or the	
02	on	parts)	Wall dopo
9a 9h	140	N41	Descendbly done Come
50			
	$\frac{1}{260}$	IVIT	students miscalculated total
	360	IVII	students miscalculated total
	$\frac{1}{360} = \frac{7}{1}$	Δ1	students miscalculated total as 340.
	$\frac{\overline{360}}{\overline{360}} = \frac{7}{18}$	A1	students miscalculated total as 340.
9c	$\frac{\frac{1}{360}}{=\frac{7}{18}}$ $\frac{280}{\times 100}$	A1 M1	students miscalculated total as 340. Reasonably done. Some
9c	$\frac{\frac{7}{360}}{\frac{7}{18}} = \frac{7}{18}$ $\frac{\frac{280}{360} \times 100}{\frac{7}{360} \times 100}$	A1 M1	Reasonably done. Some students miscalculated total as 340. Reasonably done. Some students expressed answer as
9c	$\frac{\frac{1}{360}}{\frac{280}{360} \times 100}$ $= \frac{7}{18}$	A1 M1	Reasonably done. Some students miscalculated total as 340. Reasonably done. Some students expressed answer as recurring decimal and was
9c	$\frac{\frac{7}{360}}{=\frac{7}{18}}$ $\frac{\frac{280}{360} \times 100}{=77.8\% or 77\frac{7}{9}\%$	A1 M1 A1	Reasonably done. Some students miscalculated total as 340. Reasonably done. Some students expressed answer as recurring decimal and was marked for accuracy.
9c 9d	$\frac{1}{360}$ $= \frac{7}{18}$ $\frac{280}{360} \times 100$ $= 77.8\% or 77\frac{7}{9}\%$ The bar graph is misleading as its vertical	A1 M1 A1 B2	Reasonably done. Some students miscalculated total as 340. Reasonably done. Some students expressed answer as recurring decimal and was marked for accuracy. Badly done. A few students in
9c 9d	$\frac{1}{360}$ $= \frac{7}{18}$ $\frac{280}{360} \times 100$ $= 77.8\% or 77\frac{7}{9}\%$ The bar graph is misleading as its vertical axis starts from 20 instead of 0, thus	A1 M1 A1 B2	Reasonably done. Some students miscalculated total as 340. Reasonably done. Some students expressed answer as recurring decimal and was marked for accuracy. Badly done. A few students in the whole cohort got full
9c 9d	$\frac{1}{360}$ $= \frac{7}{18}$ $\frac{280}{360} \times 100$ $= 77.8\% or 77\frac{7}{9}\%$ The bar graph is misleading as its vertical axis starts from 20 instead of 0, thus making the number of students who prefer	A1 M1 A1 B2	Reasonably done. Some students miscalculated total as 340. Reasonably done. Some students expressed answer as recurring decimal and was marked for accuracy. Badly done. A few students in the whole cohort got full credit. 1m was awarded for
9c 9d	$\frac{1}{360}$ $= \frac{7}{18}$ $\frac{280}{360} \times 100$ $= 77.8\% or 77\frac{7}{9}\%$ The bar graph is misleading as its vertical axis starts from 20 instead of 0, thus making the number of students who prefer Chocolate flavour look like it is twice the	A1 M1 A1 B2	Reasonably done. Some students miscalculated total as 340. Reasonably done. Some students expressed answer as recurring decimal and was marked for accuracy. Badly done. A few students in the whole cohort got full credit. 1m was awarded for mentioning that the graph

	number of students who prefer Vanilla		evidence of not having twice
	flavour when it is only a difference of 60.		the numbers.
10a	1		Reasonably done.
	$\frac{-\times0\times8}{2}$		
	$=24cm^2$	A1	
10b	24×17		Reasonably done.
	$=408cm^{2}$	A1	
10c	$Vol = (24 \times 2) + (17 \times 10) + (17 \times 6) + (17 \times 8)$	M1	Reasonably done.
	$= 456 cm^2$	A1	
10d	<i>Volume of</i> 10 <i>prisms</i> = 408×10		
	$=4080cm^{3}$	M1	
	$Increase = \frac{4080}{1000}$	M1	
	$\pi(10)^2$		
	= 13.0 cm(3 sf)	A1	